

# Analysis and Improvements of the Sender Keys Protocol for Group Messaging

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October 21, 2022

RECSI 2022, Santander



# WhatsUpp with Sender Keys?

- **Messaging protocols** used by billions daily.  
Commercial solutions claim **security** + **end-to-end encryption**.
- Formal protocol analysis is important. Becomes harder in **groups**.



- **Signal**: Extends Double Ratchet. *Slow; not completely understood.*
- **Telegram**: No end-to-end encryption. *Not ideal.*
- **MLS**: Lots of theoretical analysis. *Secure and efficient but complex.*
- **WhatsApp**: Sender Keys. *No protocol analysis so far.*

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We study the **Sender Keys Protocol** used in WhatsApp groups.

Protocol extracted from WhatsApp's whitepaper + Signal code.

- **Formalization:** Cryptographic primitive, security modelling.
- **Security Analysis:** Issues with concurrency, group membership, recovery from compromise, authentication...
- **Improvements:** Patching our attacks, key updates, securing membership.

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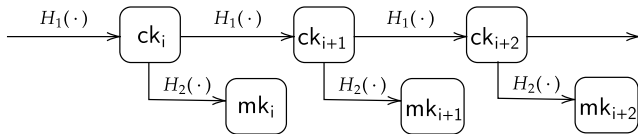
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# Messaging and Sender Keys

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# Sender Keys: Main Protocol

- Every  $ID \in \mathbf{G}$  owns a symmetric *chain key*  $ck_{ID}$  shared with all members.
- **Sending:** ID encrypts  $m$  using a *message key*  $mk$  that is deterministically derived from  $ck_{ID}$ .

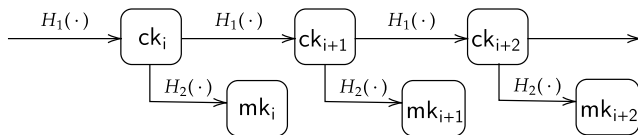


- **Receiving**, members derive  $mk$  from  $ck_{ID}$  to decrypt and read  $m$ .
- Forward security provided by a fresh  $mk$  every time – *symmetric ratchet* using hash functions.
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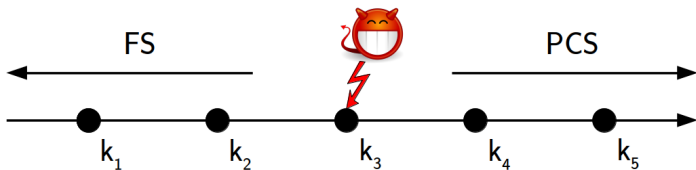
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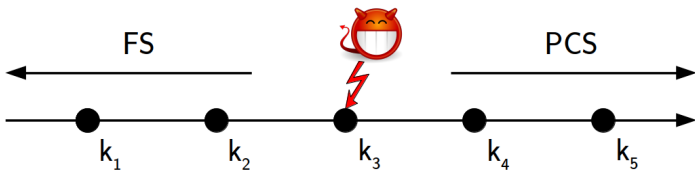
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- **Forward Security (FS)** - *past* messages safe.
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# Sender Keys: Message Exchange

**A** :  $(ck_A^i, ssk_A, spk_A,$   
 $ck_B^j, spk_B)$

**B** :  $(ck_B^j, ssk_B, spk_B,$   
 $ck_A^i, spk_A)$

..... A sends  $m_i$  .....

$mk_A^i \leftarrow H_1(ck_A^i)$

$c_i \xleftarrow{\$} \text{Enc}(mk_A^i, m_i)$

$(c_i, i, A, \sigma_i)$   
 $\longrightarrow$

**req**  $\text{Ver}(spk_A, \sigma_i) = 1$

$ck_A^{i+1} \leftarrow H_2(ck_A^i)$

$\sigma_i \xleftarrow{\$} \text{Sig}(ssk_A, (c_i, i, A))$

$mk_A^i \leftarrow H_1(ck_A^i)$

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..... B sends  $m_j$  .....

$mk_B^j \leftarrow H_1(ck_B^j)$

**req**  $\text{Ver}(spk_B, \sigma_j) = 1$   $\xleftarrow{(c_j, j, B, \sigma_j)}$   $c_j \xleftarrow{\$} \text{Enc}(mk_B^j, m_j)$

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# Sender Keys: Key Agreement & Membership

Sender Keys relies on *existing authenticated and confidential two-party channels (2pc)* between all users (strong assumption!).

- If ID joins  $G$ , it generates new  $ck$  and  $spk$  and sends it to everyone in  $G$  via 2pc. This is done the first time ID speaks.
- If ID leaves, **everyone deletes keys**, generates fresh ones and restarts the protocol using 2pc.  $\mathcal{O}(n^2)$  total communication.

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# Security

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# Primitive and Security Model

A Group Messenger (GM) includes:

- $(C, \gamma') \stackrel{\$}{\leftarrow} \text{Send}(m, \gamma)$
- $(m, e, i, \gamma') \leftarrow \text{Recv}(C, \gamma)$
- $(T, \gamma') \stackrel{\$}{\leftarrow} \text{Exec}(\text{cmd}, \text{IDs}, \gamma)$
- $\gamma' \leftarrow \text{Proc}(T, \gamma)$

We introduce a *message indistinguishability* security game.

Active, adaptive  $\mathcal{A}$  that can *forge and inject messages*.

We disallow '*trivial attacks*':  
challenge and inject using exposed keys.

Game Oracles:

- Create(ID, *IDs*)
- Challenge(ID,  $m_0, m_1$ )
- Send(ID,  $m$ )
- Receive(ID, ID',  $C$ )
- Add(ID, ID')
- Remove(ID, ID')
- Update(ID)
- Deliver(ID,  $T$ )
- Expose(ID)
- ExpMK(ID,  $e, i$ )
- Send2PC(ID, ID')
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## Control Messages

These are *not authenticated* and can be forged without any exposure.

Server can add/remove parties on behalf of other users. *Insecure membership* [RMS18, ACDJ22, BCV22].

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# An Improvement: PCS Updates

Only 'removes' allow for PCS in Sender Keys. Can we do updates?

- **Naive approach:** ID sends a fresh  $ck$  to all users [CHK21]. Problem: only messages encrypted under  $ck$  recover security.
- **Alternative idea:** ID sends *fresh randomness*  $r$  to all users;  $ck_{ID'} \leftarrow H(ck_{ID'} || r)$  is computed for all  $ID'$ 's.

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If ID is removed, assuming secure 2pc:

- Members process removal & erase keys - free from every exposure!
- Generate and send fresh keys over secure 2pc.

*Looks great!* Keys sent safely, key material erased, exposures resolved.  
PCS is achieved.

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## Final Remarks

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# Conclusions and Future Work

## Takeaways:

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- *Improvements*: Update options (even if strong PCS impossible), efficiency, security.

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## So, WhatsApp with Sender Keys?

*¡Gracias!*

Slides (and more!) at:  
[davidbalbas.github.io](https://davidbalbas.github.io)



## Appendix: Single- vs multi-key

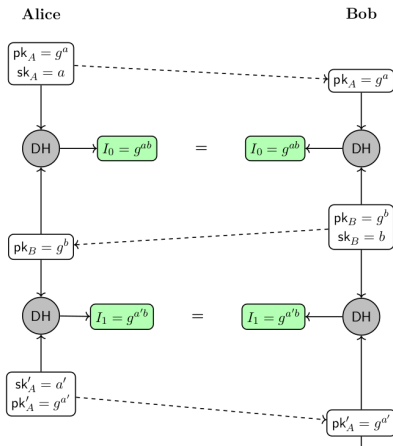
Each ID has a different  $ck$ , so the state has  $O(n)$  secret material at all times. We observe:

- Security comparable if all users have *the same chain key* (single-key group). Everyone knows all secret material except signature keys.
- Different chain keys are essentially useful for *concurrency*.
- One could envision trade-offs depending on how active users are. A central server could be employed to help.

For example, in MLS a common group secret is agreed (with possible PCS). Then,  $O(n)$  application keys are derived from it to improve concurrency.

# PCS after users leave

In the Double Ratchet, we require a full roundtrip for state exposure recovery (hence for PCS).



# An attack vector

1. ID is *exposed*. Then  $\mathcal{A}$  knows its DR keys with everyone.
2. Someone leaves the group. Users erase their old keys.
3. ID' sends a new sender key to ID via their DR.
4.  $\mathcal{A}$  can read the key despite ID's updated pk.

This raises **open questions**:

- Can we *improve* this mechanism?
- Do we need a fresh, *interactive* key exchange?
- Can PCS be recovered at all (just by sending keys)?
- What is the *exact* security we get?

Current approach: simplified modelling of underlying channels

# Security in ideal model

We disallow 'trivial attacks' when party ID is exposed:

- Cannot inject (via Receive) previous messages and future until ID is removed;
- Cannot Challenge using keys learnt from ID until removal of ID'/update.
- Game only delivers honestly generated control messages.

Then, we can prove security assuming ideal 2pc. Some remarks:

- Message keys  $mk_i$  can be exposed independently, never affecting other keys.
- *Assuming perfect 2pc*, users recover from exposure after a removal.